

# Package ‘lpirfs’

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**Type** Package

**Title** Local Projections Impulse Response Functions

**Version** 0.2.2

**Maintainer** Philipp Adämmer <adaemmer@hsu-hh.de>

**BugReports** <https://github.com/adaemmerp/lpirfs/issues>

**Description** Provides functions to estimate and visualize linear as well as nonlinear impulse responses based on local projections by Jordà (2005) <[doi:10.1257/0002828053828518](https://doi.org/10.1257/0002828053828518)>. The methods and the package are explained in detail in Adämmer (2019) <[doi:10.32614/RJ-2019-052](https://doi.org/10.32614/RJ-2019-052)>.

**License** GPL (>= 2)

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 lpirfs-package

*Local Projection Impulse Response Functions*


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### Description

lpirfs provides functions to estimate and plot linear as well as nonlinear impulse responses based on local projections by Jordà (2005) <doi:10.1257/0002828053828518>. The methods and the package are explained in detail in Adämmer (2019) <doi:10.32614/RJ-2019-052>. Please cite the paper when using the package.

### Author(s)

Philipp Adämmer

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ag\_data

*Data to estimate fiscal multipliers*

---

### Description

A tibble, containing data to estimate fiscal multipliers. This data was originally used by Auerbach and Gorodnichenko (2012). Sarah and Zubairy (2018) use this data to re-evaluate their results with local projections.

### Usage

ag\_data

### Format

A **tibble** with 248 quarterly observations (rows) and 7 variables (columns):

**Year** Year of observation.

**Quarter** Quarter of observation.

**Gov** Logs of real government (federal, state, and local) purchases (consumption and investment).

**Tax** Logs of real government receipts of direct and indirect taxes net of transfers to businesses and individuals.

**GDP** Logs of real gross domestic product.

**GDP\_MA** 7-quarter moving average growth rate of GDP.

**Gov\_shock\_mean** Identified government spending shock. For details see Supplementary Appendix of Ramey and Zubairy (2018).

Sample: 1948:IV - 2008:IV

### Source

<https://www.journals.uchicago.edu/doi/10.1086/696277>

### References

Auerbach, A. J., and Gorodnichenko Y. (2012). "Measuring the Output Responses to Fiscal Policy." *American Economic Journal: Economic Policy*, 4 (2): 1-27.

Jordà, Ò. (2005) "Estimation and Inference of Impulse Responses by Local Projections." *American Economic Review*, 95 (1): 161-182.

Ramey, V.A., Zubairy, S. (2018). "Government Spending Multipliers in Good Times and in Bad: Evidence from US Historical Data." *Journal of Political Economy*, 126(2): 850 - 901.

get\_robust\_cov\_panel    *Function to get robust covariance matrix for panel data*

---

**Description**

Function to get robust covariance matrix for panel data

**Usage**

```
get_robust_cov_panel(panel_results, specs)
```

**Arguments**

panel\_results    Plm object from estimation  
specs            List with specifications

**Value**

Object with robust covariance matrix

---

hp\_filter            *Decompose a times series via the Hodrick-Prescott filter*

---

**Description**

Estimate cyclical and trend component with filter by Hodrick and Prescott (1997). The function is based on the function *hpfiler* from the archived *mFilter*-package.

**Usage**

```
hp_filter(x, lambda)
```

**Arguments**

x                    One column matrix with numeric values.  
lambda              Numeric value.

**Value**

A list. The first element contains the cyclical component and the second element the trend component.

**Author(s)**

Philipp Adämmer

## References

- Hodrick, R.J., and Prescott, E. C. (1997). "Postwar U.S. Business Cycles: An Empirical Investigation." *Journal of Money, Credit and Banking*, 29(1), 1-16.
- Ravn, M.O., Uhlig, H. (2002). "On Adjusting the Hodrick-Prescott Filter for the Frequency of Observations." *Review of Economics and Statistics*, 84(2), 371-376.

## Examples

```
library(lpirfs)

# Decompose the Federal Funds Rate
data_set    <- as.matrix(interest_rules_var_data$FF)
hp_results  <- hp_filter(data_set, 1600)

# Extract results and save as data.frame
hp_cyc     <- as.data.frame(hp_results[[1]])
hp_trend   <- as.data.frame(hp_results[[2]])

# Make data.frames for plots
cyc_df     <- data.frame(yy = hp_cyc$V1,   xx = seq(as.Date('1955-01-01'),
                                                  as.Date('2003-01-01') , "quarter"))
trend_df   <- data.frame(yy = hp_trend$V1, xx = seq(as.Date('1955-01-01'),
                                                  as.Date('2003-01-01') , "quarter"))

# Make plots
library(ggplot2)

# Plot cyclical part
ggplot(data = cyc_df) +
  geom_line(aes(y = yy, x = xx))

# Plot trend component
ggplot(trend_df) +
  geom_line(aes(y = yy, x = xx))
```

---

interest\_rules\_var\_data

*Data to estimate the effects of interest rate rules for monetary policy*

---

## Description

A tibble, containing data to estimate the effects of interest rate rules for monetary policy. The data are used by Jordà (2005).

**Usage**

```
interest_rules_var_data
```

**Format**

A [tibble](#) with 193 quarterly observations (rows) and 3 variables (columns):

**GDP\_gap** Percentage difference between real GDP and potential GDP (Congressional Budget Office).

**Infl** Inflation: Percentage change in the GDP, chain weighted price index at annual rate.

**FF** Federal funds rate: quarterly average of daily rates.

Sample: 1955:I - 2003:I

**Source**

<https://www.aeaweb.org/articles?id=10.1257/0002828053828518>

**References**

Jordà, Ò. (2005) "Estimation and Inference of Impulse Responses by Local Projections." *American Economic Review*, 95 (1): 161-182.

---

```
lpirfs_obj-methods-base
```

*Base methods for lpirfs\_obj objects*

---

**Description**

Base methods for lpirfs\_obj objects

---

```
lp_lin
```

*Compute linear impulse responses*

---

**Description**

Compute linear impulse responses with local projections by Jordà (2005).

**Usage**

```
lp_lin(
  endog_data,
  lags_endog_lin = NULL,
  lags_criterion = NaN,
  max_lags = NaN,
  trend = NULL,
  shock_type = NULL,
  confint = NULL,
  use_nw = TRUE,
  nw_lag = NULL,
  nw_prewhite = FALSE,
  adjust_se = FALSE,
  hor = NULL,
  exog_data = NULL,
  lags_exog = NULL,
  contemp_data = NULL,
  num_cores = 1
)
```

**Arguments**

endog_data	A <a href="#">data.frame</a> , containing the endogenous variables for the VAR. The Cholesky decomposition is based on the column order.
lags_endog_lin	NaN or integer. NaN if lag length criterion is used. Integer for number of lags for <i>endog_data</i> .
lags_criterion	NaN or character. NaN (default) means that the number of lags has to be given at <i>lags_endog_lin</i> . The character specifies the lag length criterion ('AICc', 'AIC' or 'BIC').
max_lags	NaN or integer. Maximum number of lags if <i>lags_criterion</i> is given. NaN (default) otherwise.
trend	Integer. No trend = 0, include trend = 1, include trend and quadratic trend = 2.
shock_type	Integer. Standard deviation shock = 0, unit shock = 1.
confint	Double. Width of confidence bands. 68% = 1; 90% = 1.65; 95% = 1.96.
use_nw	Boolean. Use Newey-West (1987) standard errors for impulse responses? TRUE (default) or FALSE.
nw_lag	Integer. Specifies the maximum lag with positive weight for the Newey-West estimator. If set to NULL (default), the lag increases with with the number of horizon.
nw_prewhite	Boolean. Should the estimators be pre-whitened? TRUE or FALSE (default).
adjust_se	Boolean. Should a finite sample adjustment be made to the covariance matrix estimators? TRUE or FALSE (default).
hor	Integer. Number of horizons for impulse responses.

exog_data	A <a href="#">data.frame</a> , containing exogenous variables for the VAR. The row length has to be the same as <i>endog_data</i> . Lag lengths for exogenous variables have to be given and will not be determined via a lag length criterion.
lags_exog	NULL or Integer. Integer for the number of lags for the exogenous data. The value cannot be 0. If you want to include exogenous data with contemporaneous impact use <i>contemp_data</i> .
contemp_data	A <a href="#">data.frame</a> , containing exogenous data with contemporaneous impact. This data will not be lagged. The row length has to be the same as <i>endog_data</i> .
num_cores	NULL or Integer. The number of cores to use for the estimation. If NULL, the function will use the maximum number of cores minus one.

### Value

A list containing:

irf_lin_mean	A three 3D <a href="#">array</a> , containing all impulse responses for all endogenous variables. The last dimension denotes the shock variable. The row in each matrix gives the responses of the <i>ith</i> variable, ordered as in <i>endog_data</i> . The columns denote the horizons. For example, if <i>results_lin</i> contains the list with results, <code>results_lin\$irf_lin_mean[, , 1]</code> returns a KXH matrix, where K is the number of variables and H the number of horizons. '1' is the shock variable, corresponding to the first variable in <i>endog_data</i> .
irf_lin_low	A three 3D <a href="#">array</a> containing all lower confidence bands of the responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_lin_mean</i> .
irf_lin_up	A three 3D <a href="#">array</a> containing all upper confidence bands of the responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_lin_mean</i> .
diagnostic_list	A list OLS diagnostics. To see everything you can simply use <code>summary()</code> or <code>results\$diagnostic_list</code> . The first entry the shock variable. The rows of each shown matrix then denotes the endogenous variable that reacts to the shock.
specs	A list with properties of <i>endog_data</i> for the plot function. It also contains lagged data ( <i>y_lin</i> and <i>x_lin</i> ) used for the irf estimations, and the selected lag lengths when an information criterion has been used.

### Author(s)

Philipp Adämmer

### References

- Akaike, H. (1974). "A new look at the statistical model identification", *IEEE Transactions on Automatic Control*, 19 (6): 716–723.
- Hurvich, C. M., and Tsai, C.-L. (1989), "Regression and time series model selection in small samples", *Biometrika*, 76(2): 297–307



Jordà, Ò. (2005). "Estimation and Inference of Impulse Responses by Local Projections." *American Economic Review*, 95 (1): 161-182.

Newey, W.K., and West, K.D. (1987). "A Simple, Positive-Definite, Heteroskedasticity and Auto-correlation Consistent Covariance Matrix." *Econometrica*, 55: 703–708.

Schwarz, Gideon E. (1978). "Estimating the dimension of a model", *Annals of Statistics*, 6 (2): 461–464.

### See Also

[https://adaemmerp.github.io/lpirfs/README\\_docs.html](https://adaemmerp.github.io/lpirfs/README_docs.html)

### Examples

```

## Example without exogenous variables

# Load package
library(lpirfs)

# Load (endogenous) data
endog_data <- interest_rules_var_data

# Estimate linear model
results_lin <- lp_lin(endog_data,
                      lags_endog_lin = 4,
                      trend           = 0,
                      shock_type     = 1,
                      confint         = 1.96,
                      hor             = 12)

# Show all impulse responses
# Compare with Figure 5 in Jordà (2005)
plot(results_lin)

# Make individual plots
linear_plots <- plot_lin(results_lin)

# Show single plots
# * The first element of 'linear_plots' shows the response of the first
#   variable (GDP_gap) to a shock in the first variable (GDP_gap).
# * The second element of 'linear_plots' shows the response of the first
#   variable (GDP_gap) to a shock in the second variable (inflation).
# * ...

linear_plots[[1]]
linear_plots[[2]]

# Show diagnostics. The first element corresponds to the first shock variable.
summary(results_lin)

```

```

## Example with exogenous variables ##

# Load (endogenous) data
endog_data <- interest_rules_var_data

# Create exogenous data and data with contemporaneous impact (for illustration purposes only)
exog_data <- endog_data$GDP_gap*endog_data$Infl*endog_data$FF + rnorm(dim(endog_data)[1])
contemp_data <- endog_data$GDP_gap*endog_data$Infl*endog_data$FF + rnorm(dim(endog_data)[1])

# Exogenous data has to be a data.frame
exog_data <- data.frame(xx = exog_data )
contemp_data <- data.frame(cc = contemp_data)

# Estimate linear model
results_lin <- lp_lin(endog_data,
                      lags_endog_lin = 4,
                      trend          = 0,
                      shock_type     = 1,
                      confint         = 1.96,
                      hor              = 12,
                      exog_data       = exog_data,
                      lags_exog       = 4,
                      contemp_data    = contemp_data)

# Show all impulse responses
plot(results_lin)

# Show diagnostics. The first element corresponds to the first shock variable.
summary(results_lin)

```

---

lp\_lin\_iv

*Compute linear impulse responses with identified shock and/or with 2SLS*

---

### Description

Compute linear impulse responses with identified shock and/or with 2SLS.

### Usage

```

lp_lin_iv(
  endog_data,
  shock = NULL,
  cumul_mult = FALSE,
  instr = NULL,
  use_twosls = FALSE,
  instrum = NULL,
  lags_endog_lin = NULL,

```

```

    exog_data = NULL,
    lags_exog = NULL,
    contemp_data = NULL,
    lags_criterion = NaN,
    max_lags = NaN,
    trend = NULL,
    confint = NULL,
    use_nw = TRUE,
    nw_lag = NULL,
    nw_prewhite = FALSE,
    adjust_se = FALSE,
    hor = NULL,
    num_cores = 1
)

```

### Arguments

- |                |  |
|----------------|--|
| endog_data     | A <a href="#">data.frame</a> , containing the values of the dependent variable(s).   |
| shock          | A one column <a href="#">data.frame</a> , including the variable to shock with. The row length has to be the same as <i>endog_data</i> . When <i>use_twosls = TRUE</i> , this variable will be approximated/regressed on the instrument variable(s) given in <i>instrum</i> .              |
| cumul_mult     | Boolean. Estimate cumulative multipliers? TRUE or FALSE (default). If TRUE, cumulative responses are estimated via: $y_{(t+h)} - y_{(t-1)},$ where $h = 0, \dots, H-1$ . This option is only available for <i>lags_criterion = NaN</i> .   |
| instr          | Deprecated input name. Use <i>shock</i> instead. See <i>shock</i> for details.   |
| use_twosls     | Boolean. Use two stage least squares? TRUE or FALSE (default).   |
| instrum        | A <a href="#">data.frame</a> , containing the instrument(s) to use for 2SLS. This instrument will be used for the variable in <i>shock</i> .   |
| lags_endog_lin | NaN or integer. NaN if lags are chosen by a lag length criterion. Integer for number of lags for <i>endog_data</i> .   |
| exog_data      | A <a href="#">data.frame</a> , containing exogenous variables. The row length has to be the same as <i>endog_data</i> . Lag lengths for exogenous variables have to be given and will not be determined via a lag length criterion.  |
| lags_exog      | NULL or Integer. Integer for the number of lags for the exogenous data. The value cannot be 0. If you want to include exogenous data with contemporaneous impact use 'contemp_data'.   |
| contemp_data   | A <a href="#">data.frame</a> , containing exogenous data with contemporaneous impact. The row length has to be the same as <i>endog_data</i> .   |
| lags_criterion | NaN or character. NaN means that the number of lags will be given at <i>lags_endog_lin</i> . Possible lag length criteria are 'AICc', 'AIC' or 'BIC'. Note that when <i>use_twosls = TRUE</i> , the lag lengths are chosen based on normal OLS regressions, without using the instruments. |

max_lags	NaN or integer. Maximum number of lags if <i>lags_criterion</i> is a character denoting the lag length criterion. NaN otherwise.
trend	Integer. No trend = 0, include trend = 1, include trend and quadratic trend = 2.
confint	Double. Width of confidence bands. 68% = 1; 90% = 1.65; 95% = 1.96.
use_nw	Boolean. Use Newey-West (1987) standard errors for impulse responses? TRUE (default) or FALSE.
nw_lag	Integer. Specifies the maximum lag with positive weight for the Newey-West estimator. If set to NULL (default), the lag increases with with the number of horizon.
nw_prewhite	Boolean. Should the estimators be pre-whitened? TRUE or FALSE (default).
adjust_se	Boolean. Should a finite sample adjustment be made to the covariance matrix estimators? TRUE or FALSE (default).
hor	Integer. Number of horizons for impulse responses.
num_cores	NULL or Integer. The number of cores to use for the estimation. If NULL, the function will use the maximum number of cores minus one.

### Value

A list containing:

irf_lin_mean	A <b>matrix</b> , containing the impulse responses. The row in each matrix denotes the response of the <i>ith</i> variable to the shock. The columns are the horizons.
irf_lin_low	A <b>matrix</b> , containing all lower confidence bands of the impulse responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_lin_mean</i> .
irf_lin_up	A <b>matrix</b> , containing all upper confidence bands of the impulse responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_lin_mean</i> .
specs	A list with properties of <i>endog_data</i> for the plot function. It also contains lagged data ( <i>y_lin</i> and <i>x_lin</i> ) used for the estimations of the impulse responses, and the selected lag lengths when an information criterion has been used.

### Author(s)

Philipp Adammer

### References

- Akaike, H. (1974). "A new look at the statistical model identification", *IEEE Transactions on Automatic Control*, 19 (6): 716–723.
- Auerbach, A. J., and Gorodnichenko, Y. (2012). "Measuring the Output Responses to Fiscal Policy." *American Economic Journal: Economic Policy*, 4 (2): 1-27.
- Blanchard, O., and Perotti, R. (2002). "An Empirical Characterization of the Dynamic Effects of Changes in Government Spending and Taxes on Output." *Quarterly Journal of Economics*, 117(4): 1329–1368.

- Hurvich, C. M., and Tsai, C.-L. (1989), "Regression and time series model selection in small samples", *Biometrika*, 76(2): 297–307
- Jordà, Ò. (2005). "Estimation and Inference of Impulse Responses by Local Projections." *American Economic Review*, 95 (1): 161-182.
- Jordà, Ò, Schularick, M., Taylor, A.M. (2015), "Betting the house", *Journal of International Economics*, 96, S2-S18.
- Newey, W.K., and West, K.D. (1987). "A Simple, Positive-Definite, Heteroskedasticity and Autocorrelation Consistent Covariance Matrix." *Econometrica*, 55: 703–708.
- Ramey, V.A., and Zubairy, S. (2018). "Government Spending Multipliers in Good Times and in Bad: Evidence from US Historical Data." *Journal of Political Economy*, 126(2): 850 - 901.
- Schwarz, Gideon E. (1978). "Estimating the dimension of a model", *Annals of Statistics*, 6 (2): 461–464.

### See Also

[https://adaemmerp.github.io/lpirfs/README\\_docs.html](https://adaemmerp.github.io/lpirfs/README_docs.html)

### Examples

```
# This example replicates a result from the Supplementary Appendix
# by Ramey and Zubairy (2018) (RZ-18)

# Load data
ag_data      <- ag_data
sample_start <- 7
sample_end   <- dim(ag_data)[1]

# Endogenous data
endog_data   <- ag_data[sample_start:sample_end,3:5]

# Variable to shock with. Here government spending due to
# Blanchard and Perotti (2002) framework
shock        <- ag_data[sample_start:sample_end, 3]

# Estimate linear model
results_lin_iv <- lp_lin_iv(endog_data,
                           lags_endog_lin = 4,
                           shock         = shock,
                           trend         = 0,
                           confint       = 1.96,
                           hor            = 20)

# Show all impulse responses
plot(results_lin_iv)

# Make and save plots
iv_lin_plots <- plot_lin(results_lin_iv)
```

```

# * The first element of 'iv_lin_plots' shows the response of the first
#   variable (Gov) to the shock (Gov).
# * The second element of 'iv_lin_plots' shows the response of the second
#   variable (Tax) to the shock (Gov).
# * ...

# This plot replicates the left plot in the mid-panel of Figure 12 in the
# Supplementary Appendix by RZ-18.
iv_lin_plots[[1]]

# Show diagnostics. The first element shows the reaction of the first given endogenous variable.
summary(results_lin_iv)

## Add lags of the identified shock ##

# Endogenous data but now exclude government spending
endog_data <- ag_data[sample_start:sample_end, 4:5]

# Variable to shock with (government spending)
shock <- ag_data[sample_start:sample_end, 3]

# Add the shock variable to exogenous data
exog_data <- shock

# Estimate linear model with lagged shock variable
results_lin_iv <- lp_lin_iv(endog_data,
                           lags_endog_lin = 4,
                           shock         = shock,
                           exog_data     = exog_data,
                           lags_exog     = 2,
                           trend         = 0,
                           confint       = 1.96,
                           hor           = 20)

# Show all responses
plot(results_lin_iv)

# Show diagnostics. The first element shows the reaction of the first endogenous variable.
summary(results_lin_iv)

#####
##### Use 2SLS #####
#####

# Set seed
set.seed(007)

# Load data
ag_data <- ag_data

```

```

sample_start <- 7
sample_end   <- dim(ag_data)[1]

# Endogenous data
endog_data   <- ag_data[sample_start:sample_end,3:5]

# Variable to shock with (government spending)
shock        <- ag_data[sample_start:sample_end, 3]

# Generate instrument variable that is correlated with government spending
instrum      <- as.data.frame(0.9*shock$Gov + rnorm(length(shock$Gov), 0, 0.02) )

# Estimate linear model via 2SLS
results_lin_iv <- lp_lin_iv(endog_data,
                           lags_endog_lin = 4,
                           shock         = shock,
                           instrum        = instrum,
                           use_twosls    = TRUE,
                           trend          = 0,
                           confint       = 1.96,
                           hor            = 20)

# Show all responses
plot(results_lin_iv)

```

---

lp_lin_panel	<i>Compute linear impulse responses with local projections for panel data</i>
--------------	---

---

## Description

This function estimates impulse responses with local projections for panel data, either with an identified shock or by an instrument variable approach.

## Usage

```

lp_lin_panel(
  data_set = NULL,
  data_sample = "Full",
  endog_data = NULL,
  cumul_mult = TRUE,
  shock = NULL,
  diff_shock = TRUE,
  iv_reg = FALSE,
  instrum = NULL,

```

```

panel_model = "within",
panel_effect = "individual",
robust_cov = NULL,
robust_method = NULL,
robust_type = NULL,
robust_cluster = NULL,
robust_maxlag = NULL,
use_gmm = FALSE,
gmm_model = "onestep",
gmm_effect = "twoways",
gmm_transformation = "d",
c_exog_data = NULL,
l_exog_data = NULL,
lags_exog_data = NaN,
c_fd_exog_data = NULL,
l_fd_exog_data = NULL,
lags_fd_exog_data = NaN,
confint = NULL,
hor = NULL
)

```

### Arguments

data_set	A <a href="#">data.frame</a> , containing the panel data set. The first column has to be the variable denoting the cross section. The second column has to be the variable denoting the time section.
data_sample	Character or numeric. To use the full sample set value to "Full" (default). To estimate a subset, you have to provide a sequence of dates. This sequence has to be in the same format as the second column (time-section).
endog_data	Character. The column name of the endogenous variable. You can only provide one endogenous variable at a time.
cumul_mult	Boolean. Estimate cumulative multipliers? TRUE (default) or FALSE. If TRUE, cumulative responses are estimated via: <div style="text-align: center;"> <math display="block">y_{(t+h)} - y_{(t-1)},</math> </div> where $h = 0, \dots, H-1$ .
shock	Character. The column name of the variable to shock with.
diff_shock	Boolean. Take first differences of the shock variable? TRUE (default) or FALSE.
iv_reg	Boolean. Use instrument variable approach? TRUE or FALSE.
instrum	NULL or Character. The name(s) of the instrument variable(s) if iv_reg = TRUE.
panel_model	Character. Type of panel model. The default is "within" (fixed effects). Other options are "random", "ht", "between", "pooling" or "fd". See vignette of the plm package for details.
panel_effect	Character. The effects introduced in the model. Options are "individual" (default), "time", "twoways", or "nested". See the vignette of the plm-package for details.



robust_cov	NULL or Character. The character specifies the method how to estimate robust standard errors: Options are "vcovBK", "vcovDC", "vcovG", "vcovHC", "vcovNW", "vcovSCC". For these options see vignette of plm package. Another option is "Vcxt". For details see Miller (2017) If "use_gmm = TRUE", this option has to be NULL.
robust_method	NULL (default) or Character. The character is an option when robust_cov = "vcovHC". See vignette of the plm package for details.
robust_type	NULL (default) or Character. The character is an option when robust_cov = "vcovBK", "vcovDC", "vcovHC", "vcovNW" or "vcovSCC". See vignette of the plm package for details.
robust_cluster	NULL (default) or Character. The character is an option when robust_cov = "vcovBK", "vcovG" or "vcovHC". See vignette of the plm package for details.
robust_maxlag	NULL (default) or Character. The character is an option when robust_cov = "vcovNW" or "vcovSCC". See vignette of the plm package for details.
use_gmm	Boolean. Use GMM for estimation? TRUE or FALSE (default). See vignette of plm package for details. If TRUE, the option "robust_cov" has to be set to NULL.
gmm_model	Character. Either "onestep" (default) or "twosteps". See vignette of the plm package for details.
gmm_effect	Character. The effects introduced in the model: "twoways" (default) or "individual". See vignette of the plm-package for details.
gmm_transformation	Character. Either "d" (default) for the "difference GMM" model or "ld" for the "system GMM". See vignette of the plm package for details.
c_exog_data	NULL or Character. Name(s) of the exogenous variable(s) with contemporaneous impact.
l_exog_data	NULL or Character. Name(s) of the exogenous variable(s) with lagged impact.
lags_exog_data	Integer. Lag length for the exogenous variable(s) with lagged impact.
c_fd_exog_data	NULL or Character. Name(s) of the exogenous variable(s) with contemporaneous impact of first differences.
l_fd_exog_data	NULL or Character. Name(s) of exogenous variable(s) with lagged impact of first differences.
lags_fd_exog_data	NaN or Integer. Number of lags for variable(s) with impact of first differences.
confint	Double. Width of confidence bands. 68% = 1; 90% = 1.65; 95% = 1.96.
hor	Integer. Number of horizons for impulse responses.

## Value

A list containing:

irf_lin_mean	A <a href="#">matrix</a> , containing the impulse responses. The columns are the horizons.
irf_lin_low	A <a href="#">matrix</a> , containing all lower confidence bands. The columns are the horizons.
irf_lin_up	A <a href="#">matrix</a> , containing all upper confidence bands. The columns are the horizons.

reg\_summaries    Regression output for each horizon.  
xy\_data\_sets    Data sets with endogenous and exogenous variables for each horizon.  
specs            A list with data properties for e.g. the plot function.

### Author(s)

Philipp Adämmer

### References

Croissant, Y., Millo, G. (2008). "Panel Data Econometrics in R: The plm Package." *Journal of Statistical Software*, 27(2), 1-43. doi: 10.18637/jss.v027.i02.

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Millo G (2017). "Robust Standard Error Estimators for Panel Models: A Unifying Approach." *Journal of Statistical Software*, 82(3), 1-27. doi: 10.18637/jss.v082.i03.

### Examples

```
#--- Info
# This example is based on a STATA code that has been provided on
# Òscar Jordà's website (https://sites.google.com/site/oscarjorda/home/local-projections)
# It estimates impulse reponses of the ratio of (mortgage lending/GDP) to a
# +1% change in the short term interest rate

#--- Get data
# Go to the website of the 'The MacroFinance and MacroHistory Lab'
# Download the Excel-Sheet of the 'Jordà-Schularick-Taylor Macrohistory Database':
# URL: https://www.macrohistory.net/database/
# Then uncomment and run the code below...

#--- Code

## Load libraries to download and read excel file from the website
# library(lpirfs)
# library(readxl)
# library(dplyr)
#
# Load JST Macrohistory Database
# jst_data <- read_excel("JSTdatasetR5.xlsx", sheet = "Data")
#
## Choose years <= 2013. Swap the first two columns so that 'country' is the
## first (cross section) and 'year' the second (time section) column
# jst_data <- jst_data %>%
#   dplyr::filter(year <= 2013) %>%
```



```

## Plot irfs
# plot(results_panel)
#
#
## Simulate and add instrument to data_set
# set.seed(123)
# data_set <- data_set %>%
#   group_by(country) %>%
#   mutate(instrument = 0.8*stir + rnorm(length(stir), 0, sd(na.omit(stir))/10)) %>%
#   ungroup()
#
#
## Estimate panel model with iv approach
# results_panel <- lp_lin_panel(data_set           = data_set,
#                               data_sample        = data_sample,
#                               endog_data         = "mortgdp",
#                               cumul_mult         = TRUE,
#
#                               shock              = "stir",
#                               diff_shock         = TRUE,
#                               iv_reg             = TRUE,
#                               instrum            = "instrument",
#                               panel_model        = "within",
#                               panel_effect       = "individual",
#                               robust_cov         = "vcovSCC",
#
#                               c_exog_data         = "cay",
#                               l_exog_data         = "cay",
#                               lags_exog_data      = 2,
#                               c_fd_exog_data      = colnames(data_set)[c(seq(4,9),11)],
#                               l_fd_exog_data      = colnames(data_set)[c(seq(3,9),11)],
#                               lags_fd_exog_data  = 2,
#
#                               confint            = 1.67,
#                               hor                 = 5)
#
## Create and plot irfs
# plot(results_panel)
#
#
#####
###                               Use GMM                               ###
#####
#
#
## Use a much smaller sample to have fewer T than N
# data_sample <- seq(2000, 2012)
#
## Estimate panel model with gmm
## This example (please uncomment) gives a warning at each iteration.
## The data set is not well suited for GMM as GMM is based on N-asymptotics
## and the data set only contains 27 countries
#

```

```

# results_panel <- lp_lin_panel(data_set      = data_set,
#                               data_sample   = data_sample,
#                               endog_data    = "mortgdp",
#                               cumul_mult    = TRUE,
#
#                               shock         = "stir",
#                               diff_shock    = TRUE,
#
#                               use_gmm      = TRUE,
#                               gmm_model    = "onestep",
#                               gmm_effect   = "twoways",
#                               gmm_transformation = "ld",
#
#                               l_exog_data  = "mortgdp",
#                               lags_exog_data = 2,
#                               l_fd_exog_data = colnames(data_set)[c(4, 6)],
#                               lags_fd_exog_data = 1,
#
#                               confint      = 1.67,
#                               hor          = 5)
# Create and plot irfs
# plot(results_panel)
#

```

---

lp\_nl

---

*Compute nonlinear impulse responses*


---

## Description

Compute nonlinear impulse responses with local projections by Jordà (2005). The data can be separated into two states by a smooth transition function as applied in Auerbach and Gorodnichenko (2012), or by a simple dummy approach.

## Usage

```

lp_nl(
  endog_data,
  lags_endog_lin = NULL,
  lags_endog_nl = NULL,
  lags_criterion = NaN,
  max_lags = NaN,
  trend = NULL,
  shock_type = NULL,
  confint = NULL,
  use_nw = TRUE,

```

```

nw_lag = NULL,
nw_prewhite = FALSE,
adjust_se = FALSE,
hor = NULL,
switching = NULL,
lag_switching = TRUE,
use_logistic = TRUE,
use_hp = NULL,
lambda = NULL,
gamma = NULL,
exog_data = NULL,
lags_exog = NULL,
contemp_data = NULL,
num_cores = 1
)

```

### Arguments

<code>endog_data</code>	A <a href="#">data.frame</a> , containing all endogenous variables for the VAR. The Cholesky decomposition is based on the column order.
<code>lags_endog_lin</code>	NaN or integer. NaN if lag length criterion is used. Integer for number of lags for linear VAR to identify shock.
<code>lags_endog_nl</code>	NaN or integer. Number of lags for nonlinear VAR. NaN if lag length criterion is given.
<code>lags_criterion</code>	NaN or character. NaN (default) means that the number of lags will be given at <code>lags_endog_nl</code> and <code>lags_endog_lin</code> . The lag length criteria are 'AICc', 'AIC' and 'BIC'.
<code>max_lags</code>	NaN or integer. Maximum number of lags (if <code>lags_criterion = 'AICc', 'AIC', 'BIC'</code> ). NaN (default) otherwise.
<code>trend</code>	Integer. Include no trend = 0, include trend = 1, include trend and quadratic trend = 2.
<code>shock_type</code>	Integer. Standard deviation shock = 0, unit shock = 1.
<code>confint</code>	Double. Width of confidence bands. 68% = 1; 90% = 1.65; 95% = 1.96.
<code>use_nw</code>	Boolean. Use Newey-West (1987) standard errors for impulse responses? TRUE (default) or FALSE.
<code>nw_lag</code>	Integer. Specifies the maximum lag with positive weight for the Newey-West estimator. If set to NULL (default), the lag increases with with the number of horizon.
<code>nw_prewhite</code>	Boolean. Should the estimators be pre-whitened? TRUE or FALSE (default).
<code>adjust_se</code>	Boolean. Should a finite sample adjustment be made to the covariance matrix estimators? TRUE or FALSE (default).
<code>hor</code>	Integer. Number of horizons for impulse responses.
<code>switching</code>	Numeric vector. A column vector with the same length as <code>endog_data</code> . If 'use_logistic = TRUE', this series can either be decomposed via the Hodrick-Prescott filter (see Auerbach and Gorodnichenko, 2013) or directly plugged into

the following logistic function:

$$F_{z_t} = \frac{\exp(-\gamma z_t)}{1 + \exp(-\gamma z_t)}.$$

Important:  $F_{z_t}$  will be lagged by one and then multiplied with the data. If the variable shall not be lagged, use 'lag\_switching = FALSE':

Regime 1 =  $(1 - F(z_{t-1})) * y_{t-p}$ ,

Regime 2 =  $F(z_{t-1}) * y_{t-p}$ .

lag_switching	Boolean. Use the first lag of the values of the transition function? TRUE (default) or FALSE.
use_logistic	Boolean. Use logistic function to separate states? TRUE (default) or FALSE. If FALSE, the values of the switching variable have to be binary (0/1).
use_hp	Boolean. Use HP-filter? TRUE or FALSE.
lambda	Double. Value of $\lambda$ for the Hodrick-Prescott filter (if use_hp = TRUE).
gamma	Double. Positive number which is used in the transition function.
exog_data	A <a href="#">data.frame</a> , containing exogenous variables for the VAR. The row length has to be the same as <i>endog_data</i> . Lag lengths for exogenous variables have to be given and will not be determined via a lag length criterion.
lags_exog	NULL or Integer. Integer for the number of lags for the exogenous data. The value cannot be 0. If you want to include exogenous data with contemporaneous impact use <i>contemp_data</i> .
contemp_data	A <a href="#">data.frame</a> , containing exogenous data with contemporaneous impact. This data will not be lagged. The row length has to be the same as <i>endog_data</i> .
num_cores	Integer. The number of cores to use for the estimation. If NULL, the function will use the maximum number of cores minus one.

## Value

A list containing:

irf_s1_mean	A three 3D <a href="#">array</a> , containing all impulse responses for all endogenous variables of the first state. The last dimension denotes the shock variable. The row in each matrix denotes the responses of the <i>ith</i> variable, ordered as in <i>endog_data</i> . The columns are the horizons. For example, if the results are saved in <i>results_nl</i> , <code>results_nl\$irf_s1_mean[, , 1]</code> returns a KXH matrix, where K is the number of variables and H the number of horizons. '1' is the shock variable, corresponding to the variable in the first column of <i>endog_data</i> .
irf_s1_low	A three 3D <a href="#">array</a> , containing all lower confidence bands of the impulse responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s1_mean</i> .
irf_s1_up	A three 3D <a href="#">array</a> , containing all upper confidence bands of the impulse responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s1_mean</i> .

irf_s2_mean	A three 3D <a href="#">array</a> , containing all impulse responses for all endogenous variables of the second state. The last dimension denotes the shock variable. The row in each matrix denotes the responses of the <i>ith</i> variable, ordered as in <i>endog_data</i> . The columns denote the horizon. For example, if the results are saved in <i>results_nl</i> , <code>results_nl\$irf_s2_mean[, , 1]</code> returns a KXH matrix, where K is the number of variables and H the number of horizons. '1' is the first shock variable corresponding to the variable in the first column of <i>endog_data</i> .
irf_s2_low	A three 3D <a href="#">array</a> , containing all lower confidence bands of the responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s2_mean</i> .
irf_s2_up	A three 3D <a href="#">array</a> , containing all upper confidence bands of the responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s2_mean</i> .
specs	A list with properties of <i>endog_data</i> for the plot function. It also contains lagged data ( <i>y_nl</i> and <i>x_nl</i> ) used for the irf estimations, and the selected lag lengths when an information criterion has been used.
fz	A vector containing the values of the transition function $F(z_{t-1})$ .

### Author(s)

Philipp Adämmer

### References

- Akaike, H. (1974). "A new look at the statistical model identification", *IEEE Transactions on Automatic Control*, 19 (6): 716–723.
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### See Also

[https://adaemmerp.github.io/lpirfs/README\\_docs.html](https://adaemmerp.github.io/lpirfs/README_docs.html)



**Examples**

```

## Example without exogenous variables ##

# Load package
library(lpirfs)
library(gridExtra)
library(ggpubr)

# Load (endogenous) data
endog_data <- interest_rules_var_data

# Choose data for switching variable (here Federal Funds Rate)
# Important: The switching variable does not have to be used within the VAR!
switching_data <- endog_data$Infl

# Estimate model and save results
results_nl <- lp_nl(endog_data,
                    lags_endog_lin = 4,
                    lags_endog_nl  = 3,
                    trend           = 0,
                    shock_type     = 1,
                    confint        = 1.96,
                    hor             = 24,
                    switching       = switching_data,
                    use_hp         = TRUE,
                    lambda         = 1600,
                    gamma          = 3)

# Show all plots
plot(results_nl)

# Make and save all plots
nl_plots <- plot_nl(results_nl)

# Save plots based on states
s1_plots <- sapply(nl_plots$gg_s1, ggplotGrob)
s2_plots <- sapply(nl_plots$gg_s2, ggplotGrob)

# Show first irf of each state
plot(s1_plots[[1]])
plot(s2_plots[[1]])

# Show diagnostics. The first element correponds to the first shock variable.
summary(results_nl)

## Example with exogenous variables ##

# Load (endogenous) data
endog_data <- interest_rules_var_data

```

```

# Choose data for switching variable (here Federal Funds Rate)
# Important: The switching variable does not have to be used within the VAR!
switching_data <- endog_data$FF

# Create exogenous data and data with contemporaneous impact (for illustration purposes only)
exog_data <- endog_data$GDP_gap*endog_data$Infl*endog_data$FF + rnorm(dim(endog_data)[1])
contemp_data <- endog_data$GDP_gap*endog_data$Infl*endog_data$FF + rnorm(dim(endog_data)[1])

# Exogenous data has to be a data.frame
exog_data <- data.frame(xx = exog_data)
contemp_data <- data.frame(cc = contemp_data)

# Estimate model and save results
results_nl <- lp_nl(endog_data,
                    lags_endog_lin = 4,
                    lags_endog_nl = 3,
                    trend = 0,
                    shock_type = 1,
                    confint = 1.96,
                    hor = 24,
                    switching = switching_data,
                    use_hp = TRUE,
                    lambda = 1600, # Ravn and Uhlig (2002):
                                   # Annual data = 6.25
                                   # Quarterly data = 1600
                                   # Monthly data = 129 600
                    gamma = 3,
                    exog_data = exog_data,
                    lags_exog = 3)

# Show all plots
plot(results_nl)

# Show diagnostics. The first element correponds to the first shock variable.
summary(results_nl)

```

---

lp\_nl\_iv

---

*Compute nonlinear impulse responses with identified shock*


---

### Description

Compute nonlinear impulse responses with local projections and identified shock. The data can be separated into two states by a smooth transition function as applied in Auerbach and Gorodnichenko (2012), or by a simple dummy approach.

**Usage**

```
lp_nl_iv(
  endog_data,
  lags_endog_nl = NULL,
  shock = NULL,
  cumul_mult = FALSE,
  instr = NULL,
  exog_data = NULL,
  lags_exog = NULL,
  contemp_data = NULL,
  lags_criterion = NaN,
  max_lags = NaN,
  trend = NULL,
  confint = NULL,
  use_nw = TRUE,
  nw_lag = NULL,
  nw_prewhite = FALSE,
  adjust_se = FALSE,
  hor = NULL,
  switching = NULL,
  lag_switching = TRUE,
  use_logistic = TRUE,
  use_hp = NULL,
  lambda = NULL,
  gamma = NULL,
  num_cores = 1
)
```

**Arguments**

- |               |  |
|---------------|--|
| endog_data    | A <a href="#">data.frame</a> , containing all endogenous variables for the VAR.  |
| lags_endog_nl | NaN or integer. NaN if lags are chosen by a lag length criterion. Integer for number of lags for <i>endog_data</i> .   |
| shock         | One column <a href="#">data.frame</a> , including the instrument to shock with. The row length has to be the same as <i>endog_data</i> .   |
| cumul_mult    | Boolean. Estimate cumulative multipliers? TRUE or FALSE (default). If TRUE, cumulative responses are estimated via: $y_{(t+h)} - y_{(t-1)},$ where $h = 0, \dots, H-1$ . This option is only available for <i>lags_criterion = NaN</i> . |
| instr         | Deprecated input name. Use <i>shock</i> instead. See <i>shock</i> for details.   |
| exog_data     | A <a href="#">data.frame</a> , containing exogenous variables. The row length has to be the same as <i>endog_data</i> . Lag lengths for exogenous variables have to be given and will not be determined via a lag length criterion.      |
| lags_exog     | NULL or Integer. Integer for the number of lags for the exogenous data. The value cannot be 0. If you want to include exogenous data with contemporaneous impact use <i>contemp_data</i> .   |

contemp_data	A <a href="#">data.frame</a> , containing exogenous data with contemporaneous impact. This data will not be lagged. The row length has to be the same as <i>endog_data</i> .
lags_criterion	NaN or character. NaN means that the number of lags will be given at <i>lags_endog_nl</i> . Possible lag length criteria are 'AICc', 'AIC' or 'BIC'.
max_lags	NaN or integer. Maximum number of lags (if <i>lags_criterion</i> = 'AICc', 'AIC', 'BIC'). NaN otherwise.
trend	Integer. Include no trend = 0 , include trend = 1, include trend and quadratic trend = 2.
confint	Double. Width of confidence bands. 68% = 1; 90% = 1.65; 95% = 1.96.
use_nw	Boolean. Use Newey-West (1987) standard errors for impulse responses? TRUE (default) or FALSE.
nw_lag	Integer. Specifies the maximum lag with positive weight for the Newey-West estimator. If set to NULL (default), the lag increases with with the number of horizon.
nw_prewhite	Boolean. Should the estimators be pre-whitened? TRUE or FALSE (default).
adjust_se	Boolean. Should a finite sample adjustment be made to the covariance matrix estimators? TRUE or FALSE (default).
hor	Integer. Number of horizons for impulse responses.
switching	Numeric vector. A column vector with the same length as <i>endog_data</i> . This series can either be decomposed via the Hodrick-Prescott filter (see Auerbach and Gorodnichenko, 2013) or directly plugged into the following smooth transition function: $F_{z_t} = \frac{\exp(-\gamma z_t)}{1 + \exp(-\gamma z_t)}.$ Warning: $F_{z_t}$ will be lagged by one and then multiplied with the data. If the variable shall not be lagged, the vector has to be given with a lead of one. The data for the two regimes are: Regime 1 = $(1 - F(z_{t-1})) * y_{(t-p)}$ , Regime 2 = $F(z_{t-1}) * y_{(t-p)}$ .
lag_switching	Boolean. Use the first lag of the values of the transition function? TRUE (default) or FALSE.
use_logistic	Boolean. Use logistic function to separate states? TRUE (default) or FALSE. If FALSE, the values of the switching variable have to be binary (0/1).
use_hp	Boolean. Use HP-filter? TRUE or FALSE.
lambda	Double. Value of $\lambda$ for the Hodrick-Prescott filter (if <i>use_hp</i> = TRUE).
gamma	Double. Positive number which is used in the transition function.
num_cores	Integer. The number of cores to use for the estimation. If NULL, the function will use the maximum number of cores minus one.

**Value**

A list containing:

irf_s1_mean	A <b>matrix</b> , containing the impulse responses of the first regime. The row in each matrix denotes the responses of the <i>ith</i> variable to the shock. The columns are the horizons.
irf_s1_low	A <b>matrix</b> , containing all lower confidence bands of the impulse responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s1_mean</i> .
irf_s1_up	A <b>matrix</b> , containing all upper confidence bands of the impulse responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s1_mean</i> .
irf_s2_mean	A <b>matrix</b> , containing all impulse responses for the second regime. The row in each matrix denotes the responses of the <i>ith</i> variable to the shock. The columns denote the horizon.
irf_s2_low	A <b>matrix</b> , containing all lower confidence bands of the responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s2_mean</i> .
irf_s2_up	A <b>matrix</b> , containing all upper confidence bands of the responses, based on robust standard errors by Newey and West (1987). Properties are equal to <i>irf_s2_mean</i> .
specs	A list with properties of <i>endog_data</i> for the plot function. It also contains lagged data ( <i>y_nl</i> and <i>x_nl</i> ) used for the estimations of the impulse responses, and the selected lag lengths when an information criterion has been used.
fz	A vector, containing the values of the transition function $F(z_{t-1})$ .

**Author(s)**

Philipp Adämmer

**References**

- Akaike, H. (1974). "A new look at the statistical model identification", *IEEE Transactions on Automatic Control*, 19 (6): 716–723.
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### See Also

[https://adaemmerp.github.io/lpirfs/README\\_docs.html](https://adaemmerp.github.io/lpirfs/README_docs.html)

### Examples

```
# This example replicates results from the Supplementary Appendix
# by Ramey and Zubairy (2018) (RZ-18).

# Load and prepare data
ag_data      <- ag_data
sample_start <- 7
sample_end   <- dim(ag_data)[1]
endog_data   <- ag_data[sample_start:sample_end, 3:5]

# The shock is estimated by RZ-18
shock        <- ag_data[sample_start:sample_end, 7]

# Include four lags of the 7-quarter moving average growth rate of GDP
# as exogenous variables (see RZ-18)
exog_data    <- ag_data[sample_start:sample_end, 6]

# Use the 7-quarter moving average growth rate of GDP as switching variable
# and adjust it to have sufficiently long recession periods.
switching_variable <- ag_data$GDP_MA[sample_start:sample_end] - 0.8

# Estimate local projections
results_nl_iv <- lp_nl_iv(endog_data,
                          lags_endog_nl = 3,
                          shock         = shock,
                          exog_data     = exog_data,
                          lags_exog     = 4,
                          trend         = 0,
                          confint       = 1.96,
                          hor           = 20,
                          switching     = switching_variable,
                          use_hp        = FALSE,
                          gamma         = 3)

# Show all impulse responses
plot(results_nl_iv)

# Make and save individual plots
```

```

plots_nl_iv <- plot_nl(results_nl_iv)

# Show single impulse responses
# Compare with red line of left plot (lower panel) in Figure 12 in Supplementary Appendix of RZ-18.
plot(plots_nl_iv$gg_s1[[1]])
# Compare with blue line of left plot (lower panel) in Figure 12 in Supplementary Appendix of RZ-18.
plot(plots_nl_iv$gg_s2[[1]])

# Show diagnostics. The first element shows the reaction of the first endogenous variable.
summary(results_nl_iv)

```

---

lp\_nl\_panel

---

*Compute nonlinear impulse responses for panel data*


---

### Description

This function estimates nonlinear impulse responses by using local projections for panel data with an identified shock. The data can be separated into two states by a smooth transition function as applied in Auerbach and Gorodnichenko (2012), or by a simple dummy approach.

### Usage

```

lp_nl_panel(
  data_set = NULL,
  data_sample = "Full",
  endog_data = NULL,
  cumul_mult = TRUE,
  shock = NULL,
  diff_shock = TRUE,
  panel_model = "within",
  panel_effect = "individual",
  robust_cov = NULL,
  robust_method = NULL,
  robust_type = NULL,
  robust_cluster = NULL,
  robust_maxlag = NULL,
  use_gmm = FALSE,
  gmm_model = "onestep",
  gmm_effect = "twoways",
  gmm_transformation = "d",
  c_exog_data = NULL,
  l_exog_data = NULL,
  lags_exog_data = NaN,
  c_fd_exog_data = NULL,
  l_fd_exog_data = NULL,
  lags_fd_exog_data = NaN,

```

```

switching = NULL,
use_logistic = TRUE,
use_hp = FALSE,
lag_switching = TRUE,
lambda = NULL,
gamma = NULL,
confint = NULL,
hor = NULL
)

```

### Arguments

<code>data_set</code>	A <a href="#">data.frame</a> , containing the panel data set. The first column has to be the variable denoting the cross section. The second column has to be the variable denoting the time section.
<code>data_sample</code>	Character or numeric. To use the full sample set value to "Full" (default). To estimate a subset, you have to provide a sequence of dates. This sequence has to be in the same format as the second column (time-section).
<code>endog_data</code>	Character. The column name of the endogenous variable. You can only provide one endogenous variable at a time.
<code>cumul_mult</code>	Boolean. Estimate cumulative multipliers? TRUE (default) or FALSE. If TRUE, cumulative responses are estimated via:

$$y_{(t+h)} - y_{(t-1)},$$

where  $h = 0, \dots, H-1$ .

<code>shock</code>	Character. The column name of the variable to shock with.
<code>diff_shock</code>	Boolean. Take first differences of the shock variable? TRUE (default) or FALSE.
<code>panel_model</code>	Character. Type of panel model. The default is "within" (fixed effects). Other options are "random", "ht", "between", "pooling" or "fd". See vignette of the plm package for details.
<code>panel_effect</code>	Character. The effects introduced in the model. Options are "individual" (default), "time", "twoways", or "nested". See the vignette of the plm-package for details.
<code>robust_cov</code>	NULL or Character. The character specifies the method how to estimate robust standard errors: Options are "vcovBK", "vcovDC", "vcovG", "vcovHC", "vcovNW", "vcovSCC". For these options see vignette of plm package. Another option is "Vcxt". For details see Miller (2017) If "use_gmm = TRUE", this option has to be NULL.
<code>robust_method</code>	NULL (default) or Character. The character is an option when <code>robust_cov = "vcovHC"</code> . See vignette of the plm package for details.
<code>robust_type</code>	NULL (default) or Character. The character is an option when <code>robust_cov = "vcovBK"</code> , <code>"vcovDC"</code> , <code>"vcovHC"</code> , <code>"vcovNW"</code> or <code>"vcovSCC"</code> . See vignette of the plm package for details.
<code>robust_cluster</code>	NULL (default) or Character. The character is an option when <code>robust_cov = "vcovBK"</code> , <code>"vcovG"</code> or <code>"vcovHC"</code> . See vignette of the plm package for details.



robust_maxlag	NULL (default) or Character. The character is an option when robust_cov = "vcovNW" or "vcovSCC". See vignette of the plm package for details.
use_gmm	Boolean. Use GMM for estimation? TRUE or FALSE (default). See vignette of plm package for details. If TRUE, the option "robust_cov" has to be set to NULL.
gmm_model	Character. Either "onestep" (default) or "twosteps". See vignette of the plm package for details.
gmm_effect	Character. The effects introduced in the model: "twoways" (default) or "individual". See vignette of the plm-package for details.
gmm_transformation	Character. Either "d" (default) for the "difference GMM" model or "ld" for the "system GMM". See vignette of the plm package for details.
c_exog_data	NULL or Character. Name(s) of the exogenous variable(s) with contemporaneous impact.
l_exog_data	NULL or Character. Name(s) of the exogenous variable(s) with lagged impact.
lags_exog_data	Integer. Lag length for the exogenous variable(s) with lagged impact.
c_fd_exog_data	NULL or Character. Name(s) of the exogenous variable(s) with contemporaneous impact of first differences.
l_fd_exog_data	NULL or Character. Name(s) of exogenous variable(s) with lagged impact of first differences.
lags_fd_exog_data	NaN or Integer. Number of lags for variable(s) with impact of first differences.
switching	Character. Column name of the switching variable. If "use_logistic = TRUE", this series can either be decomposed by the Hodrick-Prescott filter (see Auerbach and Gorodnichenko, 2013) or directly plugged into the following smooth transition function: $F_{z_t} = \frac{\exp(-\gamma z_t)}{1 + \exp(-\gamma z_t)}.$ The data for the two regimes are lagged by default: Regime 1 = $(1 - F(z_{t-1})) * y_{(t-p)}$ , Regime 2 = $F(z_{t-1}) * y_{(t-p)}$ . This option can be suppressed with "lag_switching = FALSE".
use_logistic	Boolean. Use logistic function to separate states? TRUE (default) or FALSE. If FALSE, the values of the switching variable have to be binary (0/1).
use_hp	Boolean. Use HP-filter? TRUE or FALSE (default).
lag_switching	Boolean. Use the first lag of the values of the transition function? TRUE (default) or FALSE.
lambda	Double. Value of $\lambda$ for the Hodrick-Prescott filter (if "use_hp = TRUE").
gamma	Double. Positive value for $\gamma$ , used in the transition function.
confint	Double. Width of confidence bands. 68% = 1; 90% = 1.65; 95% = 1.96.
hor	Integer. Number of horizons for impulse responses.

**Value**

A list containing:

irf_lin_mean	A <b>matrix</b> , containing the impulse responses. The columns are the horizons.
irf_lin_low	A <b>matrix</b> , containing all lower confidence bands. The columns are the horizons.
irf_lin_up	A <b>matrix</b> , containing all upper confidence bands. The columns are the horizons.
reg_summaries	Regression output for each horizon.
xy_data_sets	Data sets with endogenous and exogenous variables for each horizon.
specs	A list with data properties for e.g. the plot function.

**Author(s)**

Philipp Adämmer

**References**

Croissant, Y., Millo, G. (2008). "Panel Data Econometrics in R: The plm Package." *Journal of Statistical Software*, 27(2), 1-43. doi: 10.18637/jss.v027.i02.

Jordà, Ò. (2005). "Estimation and Inference of Impulse Responses by Local Projections." *American Economic Review*, 95 (1): 161-182.

Jordà, Ò., Schularick, M., Taylor, A.M. (2018). "Large and State-Dependent Effects of Quasi-Random Monetary Experiments", *NBER working paper 23074*, *FRBSF working paper 2017-02*.

Millo, G. (2017). "Robust Standard Error Estimators for Panel Models: A Unifying Approach." *Journal of Statistical Software*, 82(3), 1-27. doi: 10.18637/jss.v082.i03.

**Examples**

```
#--- Info
# This example is based on a STATA code that has been provided on
# Óscar Jordà's website (https://sites.google.com/site/oscarjorda/home/local-projections)
# It estimates impulse reponses of the ratio of (mortgage lending/GDP) to a
# +1% change in the short term interest rate

#--- Get data
# Go to the website of the 'The MacroFinance and MacroHistory Lab'
# Download the Excel-Sheet of the 'Jordà-Schularick-Taylor Macrohistory Database':
# URL: https://www.macrohistory.net/database/
# Then uncomment and run the code below...

#--- Code

## Load libraries to download and read excel file from the website
# library(lpirfs)
# library(readxl)
# library(dplyr)
```

```

#
# Load JST Macrohistory Database
# jst_data <- read_excel("JSTdatasetR5.xlsx", sheet = "Data")
#
## Choose years <= 2013. Swap the first two columns so that 'country' is the
## first (cross section) and 'year' the second (time section) column
# jst_data <- jst_data %>%
#   dplyr::filter(year <= 2013) %>%
#   dplyr::select(country, year, everything())
#
## Prepare variables. This is based on the 'data.do' file
# data_set <- jst_data %>%
#   mutate(stir = stir) %>%
#   mutate(mortgdp = 100*(tmort/gdp)) %>%
#   mutate(hpreal = hpnom/cpi) %>%
#   group_by(country) %>%
#   mutate(hpreal = hpreal/hpreal[year==1990][1]) %>%
#   mutate(lhpreal = log(hpreal)) %>%
#
#   mutate(lhpy = lhpreal - log(rgdppc)) %>%
#   mutate(lhpy = lhpy - lhpy[year == 1990][1]) %>%
#   mutate(lhpreal = 100*lhpreal) %>%
#   mutate(lhpy = 100*lhpy) %>%
#   ungroup() %>%
#
#   mutate(lrgdp = 100*log(rgdppc)) %>%
#   mutate(lcpi = 100*log(cpi)) %>%
#   mutate(lriy = 100*log(iy*rgdppc)) %>%
#   mutate(cay = 100*(ca/gdp)) %>%
#   mutate(tnmort = tloans - tmort) %>%
#   mutate(nmortgdp = 100*(tnmort/gdp)) %>%
#   dplyr::select(country, year, mortgdp, stir, ltrate, lhpy,
#                 lrgdp, lcpi, lriy, cay, nmortgdp)
#
## Use data_sample from 1870 to 2013 and exclude observations from WWI and WWII
# data_sample <- seq(1870, 2016)[!(seq(1870, 2016) %in%
#   c(seq(1914, 1918),
#     seq(1939, 1947)))]
#
## Estimate panel model
# results_panel <- lp_nl_panel(data_set = data_set,
#   data_sample = data_sample,
#   endog_data = "mortgdp",
#   cumul_mult = TRUE,
#
#   shock = "stir",
#   diff_shock = TRUE,
#   panel_model = "within",
#   panel_effect = "individual",
#   robust_cov = "vcovSCC",
#
#   switching = "lrgdp",

```



```

#           gmm_transformation = "ld",
#
#           switching          = "lrgdp",
#           lag_switching     = TRUE,
#           use_hp             = TRUE,
#           lambda             = 6.25,
#           gamma              = 10,
#
#           l_exog_data       = "mortgdp",
#           lags_exog_data    = 1,
#
#           confint           = 1.67,
#           hor                = 5)
## Create and plot irfs
# plot(results_panel)

```

---

monetary_var_data	<i>Data to estimate a standard monetary VAR</i>
-------------------	---

---

### Description

A tibble, containing data to estimate a standard monetary VAR.

### Usage

```
monetary_var_data
```

### Format

A **tibble** with 494 monthly observations (rows) and 6 variables (columns):

**EM** Log of non-agricultural payroll employment.

**P** Log of personal consumption expenditures deflator (1996 = 100).

**POCM** Annual growth rate of the index of sensitive materials prices issued by the Conference Board.

**FF** Federal funds rate.

**NBRX** Ratio of nonborrowed reserves plus extended credit to total reserves.

**M2** Annual growth rate of M2 stock.

Sample: 1960:01 - 2001:02.

### Source

<https://www.aeaweb.org/articles?id=10.1257/0002828053828518>

**References**

Jordà, Ò. (2005) "Estimation and Inference of Impulse Responses by Local Projections." *American Economic Review*, 95 (1): 161-182.

---

plot.lpirfs\_lin\_iv\_obj

*Base print() function to plot all impulse responses from linear lpirfs object*

---

**Description**

Base print() function to plot all impulse responses from linear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_lin_iv_obj'
plot(x, ...)
```

**Arguments**

x                    An object of type 'lpirfs\_lin\_obj'  
 ...                  Additional arguments to be consistent with S3 print() function

---

plot.lpirfs\_lin\_obj

*Base print() function to plot all impulse responses from linear lpirfs object*

---

**Description**

Base print() function to plot all impulse responses from linear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_lin_obj'
plot(x, ...)
```

**Arguments**

x                    An object of type 'lpirfs\_lin\_obj'  
 ...                  Additional arguments to be consistent with S3 print() function

---

```
plot.lpirfs_lin_panel_obj
```

*Base print() function to plot all impulse responses from linear lpirfs object*

---

### Description

Base print() function to plot all impulse responses from linear lpirfs object

### Usage

```
## S3 method for class 'lpirfs_lin_panel_obj'  
plot(x, ...)
```

### Arguments

x                    An object of type 'lpirfs\_lin\_panel\_obj'  
...                   Additional arguments to be consistent with S3 print() function

---

```
plot.lpirfs_nl_iv_obj
```

*Base print() function to plot all impulse responses from linear lpirfs object*

---

### Description

Base print() function to plot all impulse responses from linear lpirfs object

### Usage

```
## S3 method for class 'lpirfs_nl_iv_obj'  
plot(x, ...)
```

### Arguments

x                    An object of type 'lpirfs\_nl\_iv\_obj'  
...                   Additional arguments to be consistent with S3 print() function

---

plot.lpirfs_nl_obj	<i>Base print() function to plot all impulse responses from nonlinear lpirfs object</i>
--------------------	---

---

**Description**

Base print() function to plot all impulse responses from nonlinear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_nl_obj'  
plot(x, ...)
```

**Arguments**

x	An object of type 'lpirfs_nl_obj'
...	Additional arguments to be consistent with S3 print() function

---

plot.lpirfs_nl_panel_obj	<i>Base print() function to plot all impulse responses from linear lpirfs object</i>
--------------------------	--

---

**Description**

Base print() function to plot all impulse responses from linear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_nl_panel_obj'  
plot(x, ...)
```

**Arguments**

x	An object of type 'lpirfs_lin_panel_obj'
...	Additional arguments to be consistent with S3 print() function



---

plot_lin	<i>Compute and display plots of linear impulse responses</i>
----------	--

---

**Description**

Compute and display linear impulse responses, estimated with [lp\\_lin\(\)](#) and [lp\\_lin\\_iv\(\)](#).

**Usage**

```
plot_lin(results_lin)
```

**Arguments**

results\_lin     A [list](#) created with [lp\\_lin\(\)](#) or [lp\\_lin\\_iv\(\)](#).

**Value**

A list with (gg-)plots for linear impulse responses.

**Author(s)**

Philipp Adämmer

**Examples**

```
# See examples for lp_lin() and lp_lin_iv().
```

---

plot_nl	<i>Compute and display plots of nonlinear impulse responses</i>
---------	---

---

**Description**

Compute and display (nonlinear) impulse responses, estimated with [lp\\_nl\(\)](#) and [lp\\_nl\\_iv\(\)](#).

**Usage**

```
plot_nl(results_nl)
```

**Arguments**

results\_nl     A [list](#) created with [lp\\_nl\(\)](#) or [lp\\_nl\\_iv\(\)](#).

**Value**

A list with (gg-)plots for nonlinear impulse responses.

**Author(s)**

Philipp Adämmer

**Examples**

```
# Load package
# See examples for lp_nl() and lp_nl_iv().
```

---

```
summary.lpirfs_lin_iv_obj
```

*Summary for nonlinear lpirfs object*

---

**Description**

Summary for nonlinear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_lin_iv_obj'
summary(object, ...)
```

**Arguments**

object	An object of type 'lpirfs_lin_iv_obj'
...	Additional arguments to be consistent with S3 print() function

---

```
summary.lpirfs_lin_obj
```

*Summary for linear lpirfs object*

---

**Description**

Summary for linear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_lin_obj'
summary(object, ...)
```

**Arguments**

object            An object of type 'lpirfs\_lin\_obj'  
...                Additional arguments to be consistent with S3 print() function

---

summary.lpirfs\_lin\_panel\_obj  
*Summary for nonlinear lpirfs object*

---

**Description**

Summary for nonlinear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_lin_panel_obj'  
summary(object, ...)
```

**Arguments**

object            An object of type 'lpirfs\_lin\_panel\_obj'  
...                Additional arguments to be consistent with S3 print() function

---

summary.lpirfs\_nl\_iv\_obj  
*Summary for nonlinear lpirfs object*

---

**Description**

Summary for nonlinear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_nl_iv_obj'  
summary(object, ...)
```

**Arguments**

object            An object of type 'lpirfs\_nl\_iv\_obj'  
...                Additional arguments to be consistent with S3 print() function

---

summary.lpirfs\_nl\_obj *Summary for nonlinear lpirfs object*

---

**Description**

Summary for nonlinear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_nl_obj'  
summary(object, ...)
```

**Arguments**

object	An object of type 'lpirfs_nl_obj'
...	Additional arguments to be consistent with S3 print() function

---

summary.lpirfs\_nl\_panel\_obj  
*Summary for nonlinear lpirfs object*

---

**Description**

Summary for nonlinear lpirfs object

**Usage**

```
## S3 method for class 'lpirfs_nl_panel_obj'  
summary(object, ...)
```

**Arguments**

object	An object of type 'lpirfs_lin_panel_obj'
...	Additional arguments to be consistent with S3 print() function

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